

ON PAUL LÉVY'S ARC SINE LAW AND SHIGA-WATANABE'S TIME  
INVERSION RESULT

Svend Erik Graversen  
Juha Vuolle-Apiala

*Abstract:* Let  $((X_t), \mathbf{P})$  be a symmetric real-valued  $H$ -self-similar diffusion starting at 0. We characterize the distributions of  $A_t$  the time spent on  $(0, \infty)$  before time  $t$ , and  $g_t$  the time of the last visit to 0 before  $t$ . This gives a simple new proof to well-known results including P. Lévy's arc sine law for Brownian motion and Brownian bridge and similar results for symmetrized Bessel processes. Our focus is more on simplicity of proofs than on novelty of results. Section 3 contains a generalization of T. Shiga's and S. Watanabe's theorem on time inversion for Bessel processes. We show that their result holds also for symmetrized Bessel processes.

**1991 AMS Mathematics Subject Classification:** Primary: -; Secondary: -;

**Key words and phrases:** -

THE FULL TEXT IS AVAILABLE [HERE](#)