

# Seminarium geometrów

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## Percolation on hyperbolic groups: boundary dimension of a cluster

Abstract: We will consider clusters of Bernoulli percolation on hyperbolic groups quasi-isometric to  $H^3$  (e.g. on Coxeter reflection groups of bounded polyhedra in  $H^3$ ). The Gromov boundary of such group is homeomorphic to  $S^2$ . The question is whether the cluster boundaries in  $S^2$  are a.s. zero-dimensional when the probability of keeping each edge in the percolation subgraph is greater than but close to the critical probability. We will try to prove that using facts from a talk by Longmin Wang on branching random walks in hyperbolic groups (IM UWr, 18 Apr 2019) and using stochastic domination of the percolation cluster by trajectory of such a branching random walk. Hausdorff dimensions of the cluster boundary and of the trajectory boundary will play a key role.